

Example

Operation	Output	P
insert(5,A)	p_1	(5,A)
insert(3,B)	p_2	(3,B), (5,A)
insert(7,C)	p_3	(3,B), (5,A), (7,C)
min()	p_2	(3,B), (5,A), (7,C)
p_2 .key()	3	(3,B), (5,A), (7,C)
remove(p_1)	–	(3,B), (7,C)
replace(p_2 , (9,D))	p_4	(7,C), (9,D)
replace(p_3 , (7,E))	p_5	(7,E), (9,D)
remove(p_4)	–	(7,D)

Locating Entries

- In order to implement the operations remove(p) and replace(p), and we need fast ways of locating an entry p in a priority queue

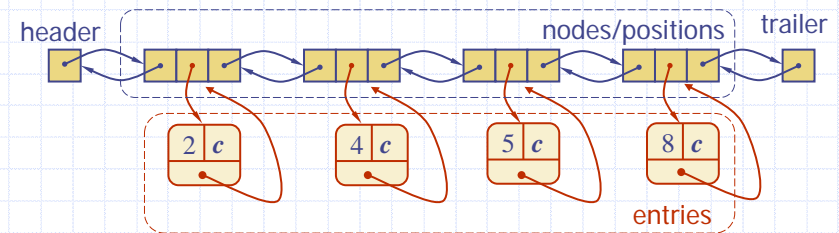
Location-Aware Entries



- A locator-aware entry identifies and tracks the location of its (key, value) object within a data structure
- Intuitive notion:
 - Coat claim check
 - Valet claim ticket
 - Reservation number
- Main idea:
 - Since entries are created and returned from the data structure itself, it can return location-aware entries, thereby making future updates easier

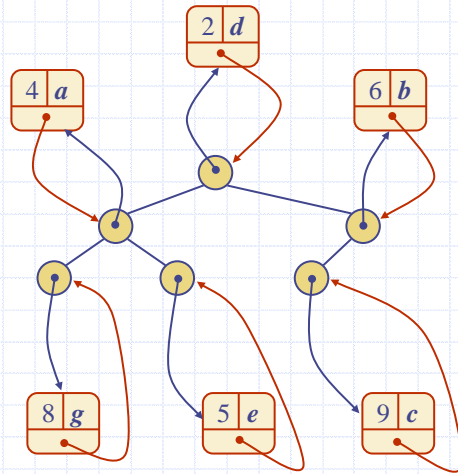
List Implementation

- A location-aware list entry is an object storing
 - key
 - value
 - position (or rank) of the item in the list
- In turn, the position (or array cell) stores the entry
- Back pointers (or ranks) are updated during swaps



Heap Implementation

- A location-aware heap entry is an object storing
 - key
 - value
 - position of the entry in the underlying heap
- In turn, each heap position stores an entry
- Back pointers are updated during entry swaps



Performance

- Improved times thanks to location-aware entries are highlighted in red

Method	Unsorted List	Sorted List	Heap
size, empty	$O(1)$	$O(1)$	$O(1)$
insert	$O(1)$	$O(n)$	$O(\log n)$
min	$O(n)$	$O(1)$	$O(1)$
removeMin	$O(n)$	$O(1)$	$O(\log n)$
remove	$O(1)$	$O(1)$	$O(\log n)$
replace	$O(1)$	$O(n)$	$O(\log n)$